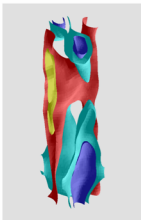


What happens if we place a pipe filled with mercury in a (*very*) strong magnetic field, and why would we do that?

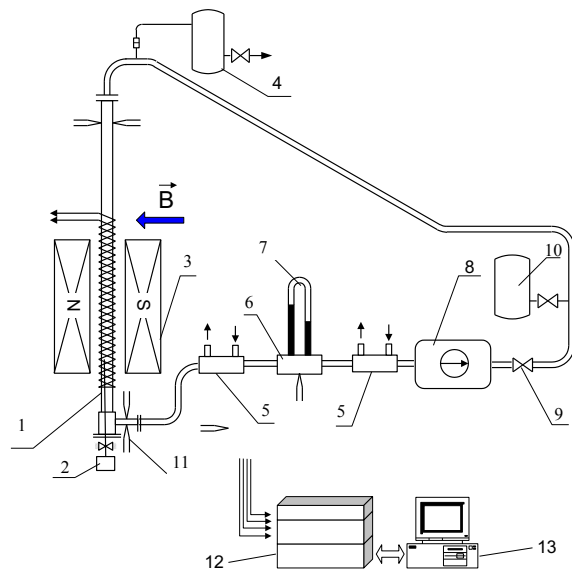
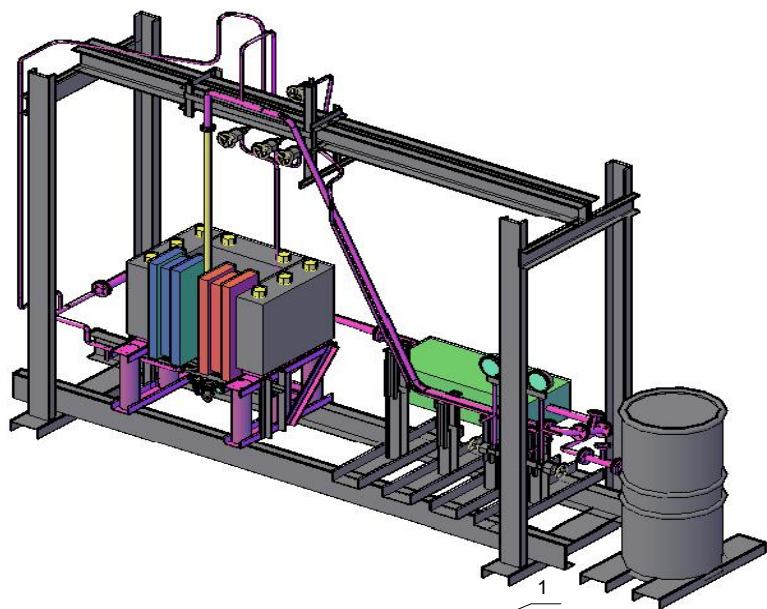
*Oleg Zikanov*



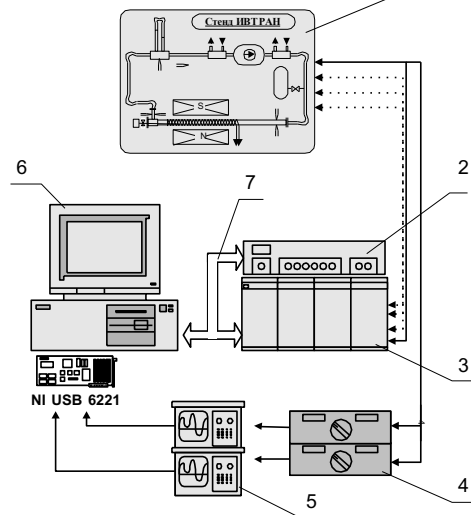
Numerical Fluid and Thermal  
Science Laboratory

University of Michigan  
Dearborn



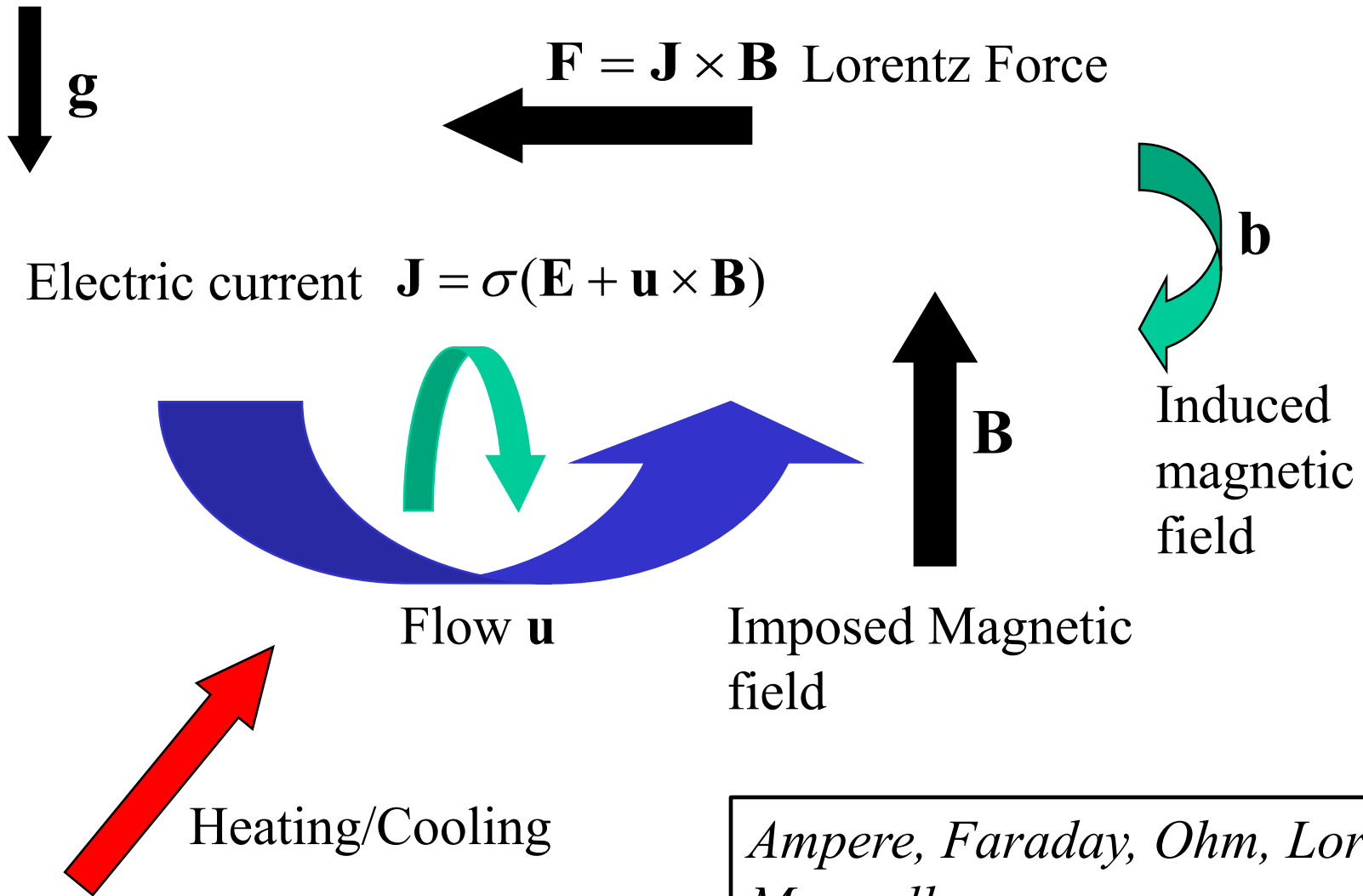


- 1 – Work area;
- 2 – Probe arm;
- 3 – Electromagnet;
- 4 – Compensation tank;
- 5 – Heat exchanger;
- 6 – Flow measurement;
- 7 – Pressure switch;
- 8 – Electromagnet pump;
- 9 – Control valve;
- 10 – Tank with mercury;
- 11 – Thermocouple;
- 12 – Measurement instrument rack;
- 13 – Computer



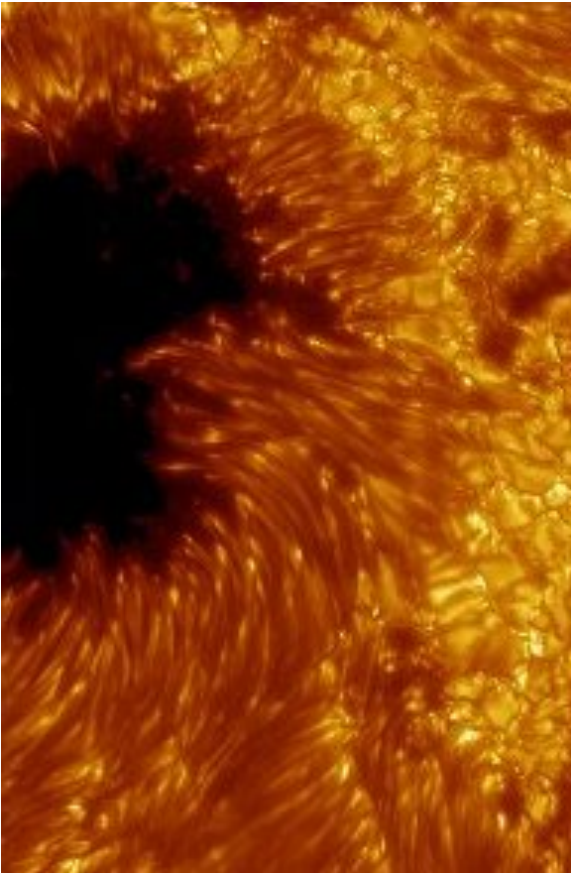
| Parameter              | Value   |
|------------------------|---------|
| Magnetic Induction, T  | 1,5-2,5 |
| Cross-size, mm         | 30-100  |
| Magnet core length, mm | 1000    |

*Electrically conducting liquid*

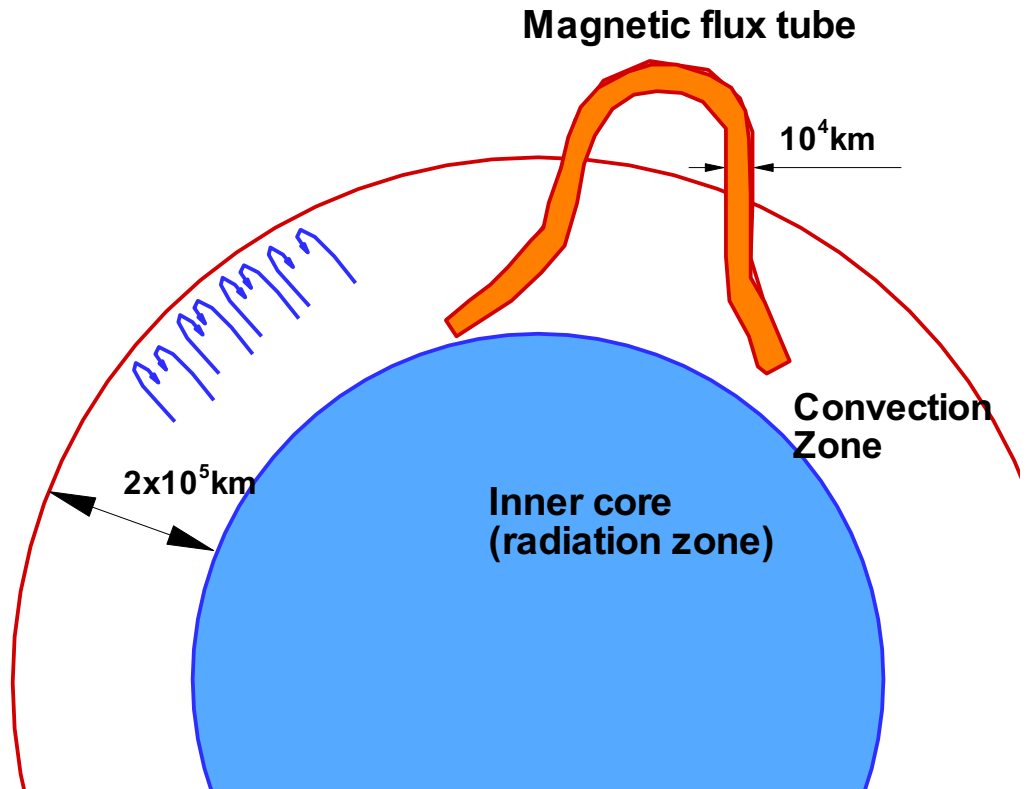


*Ampere, Faraday, Ohm, Lorentz  
Maxwell*

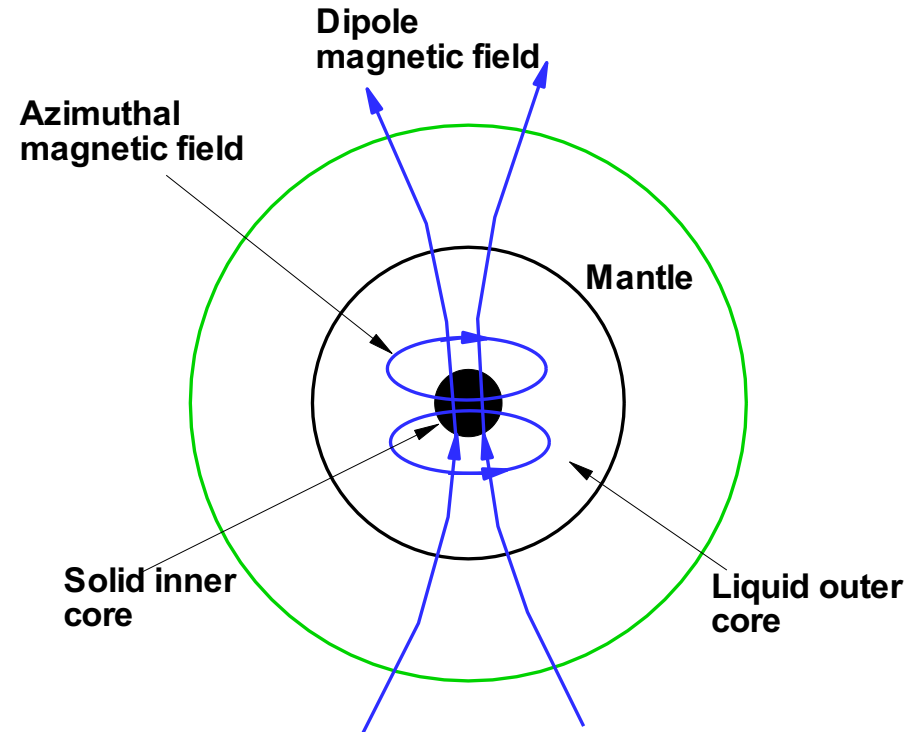
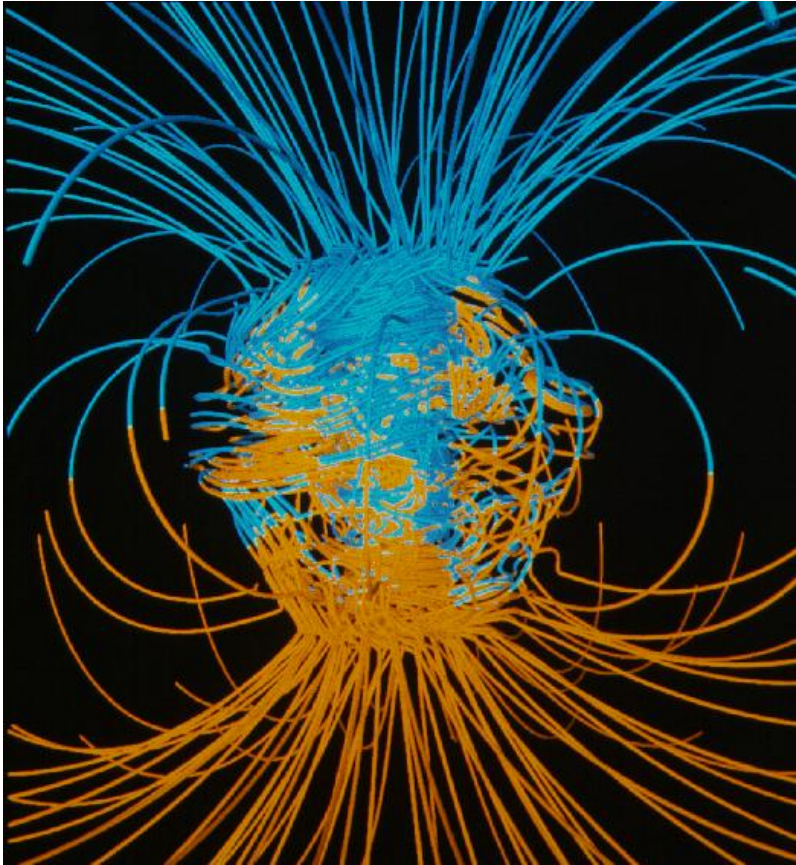
# sunspots



Sunspot – high resolution observations. Nature 2002



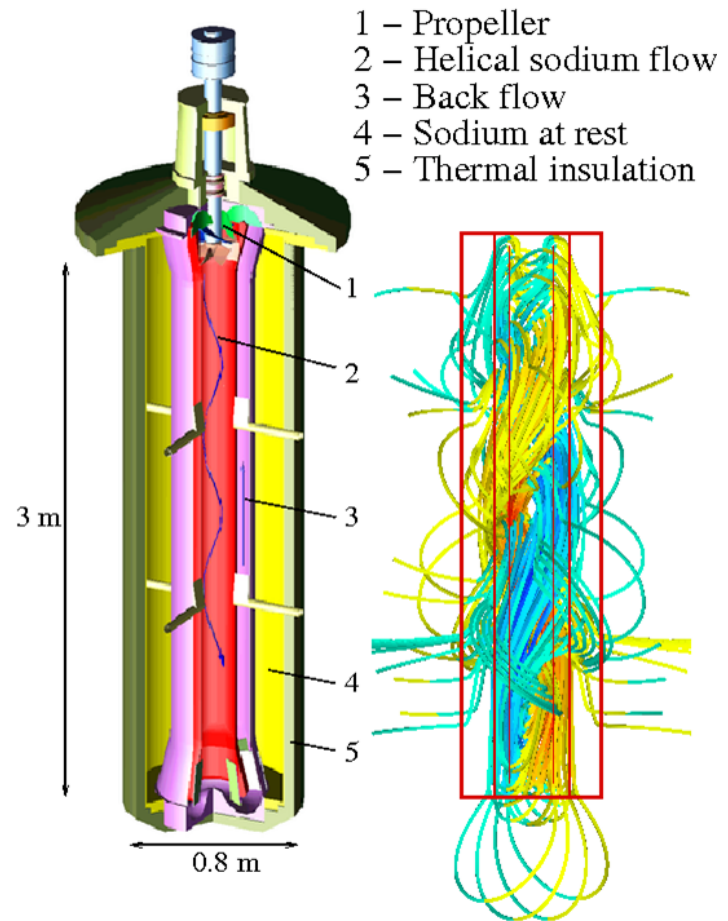
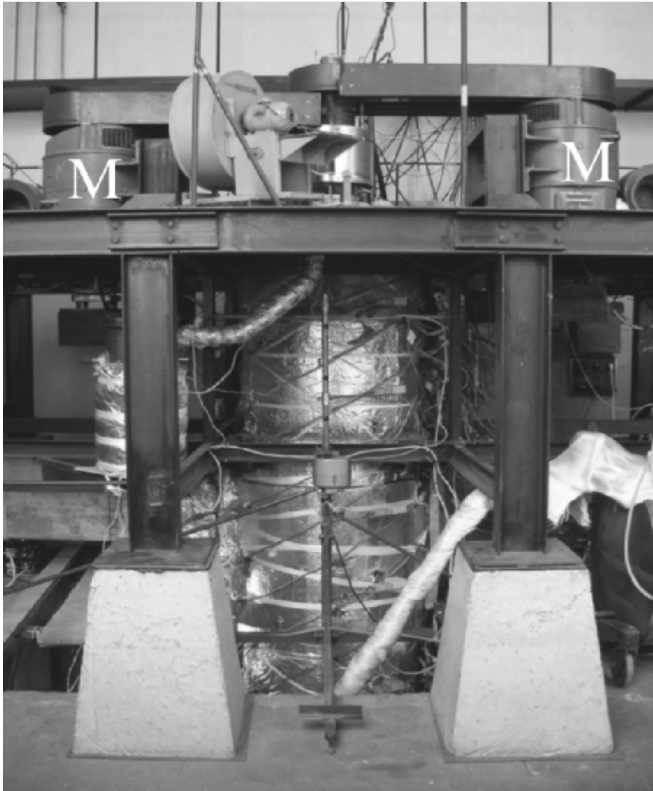
# dynamo



Glatzmaier, Roberts

Contemp. Phys. **38**, 1997

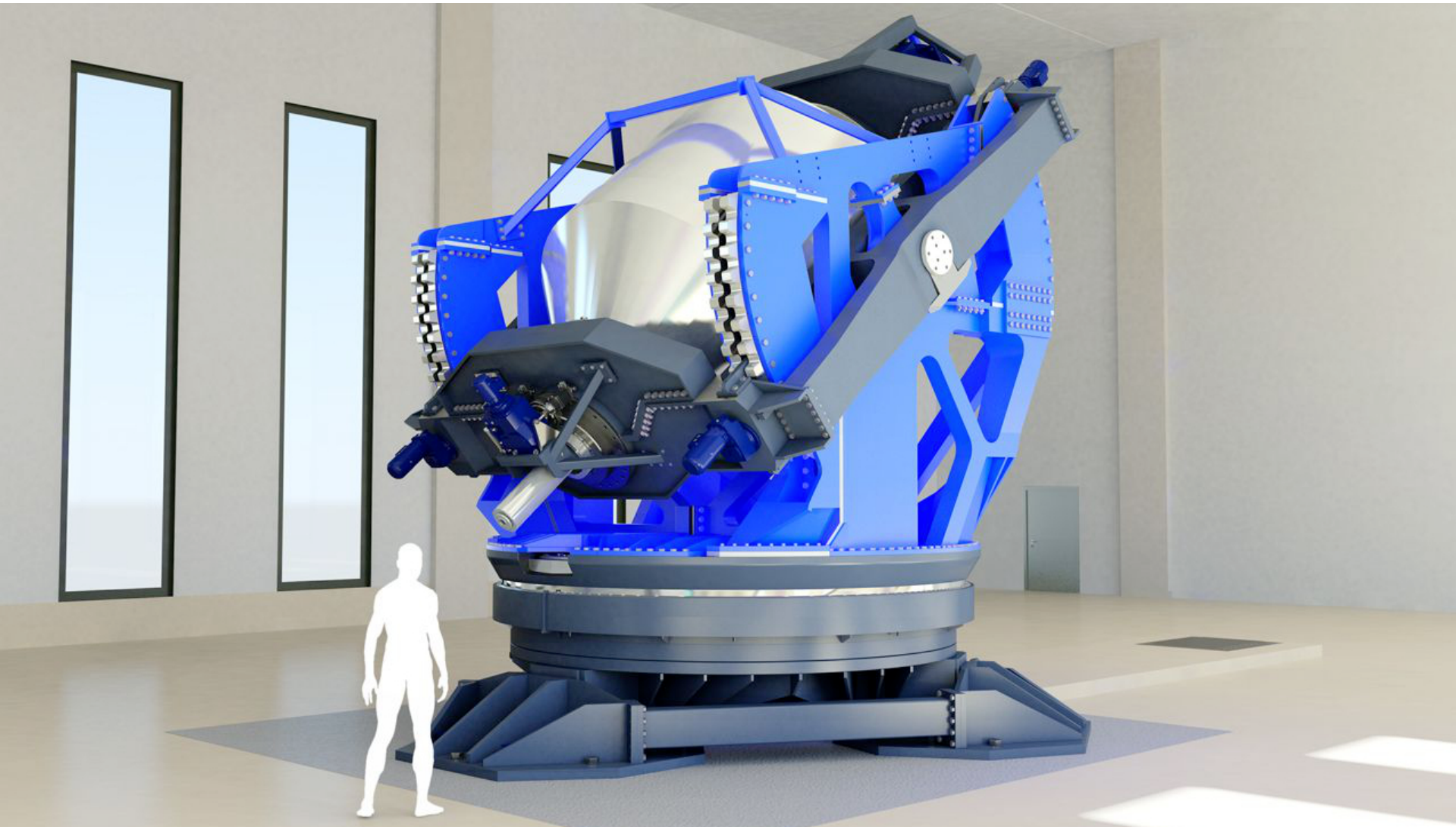
# Riga dynamo experiment, 1999



Dynamo  
module

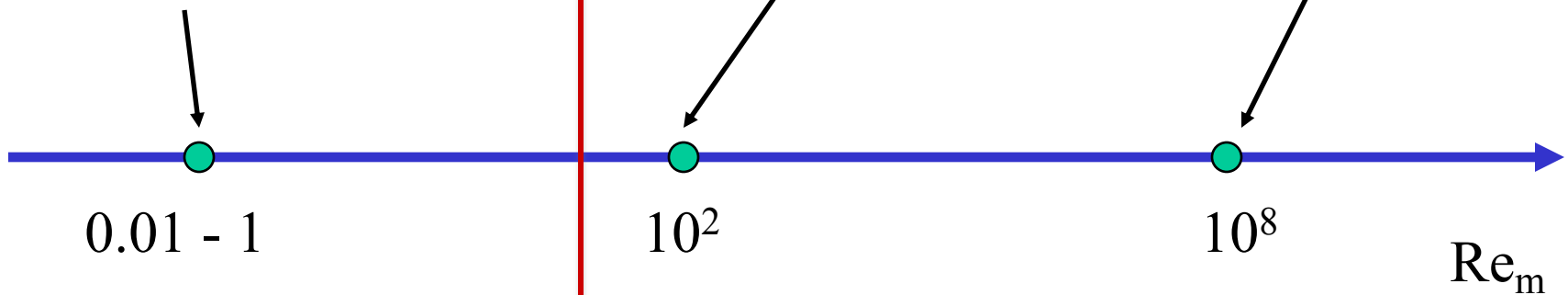
Simulated  
eigenfield

# Dresden-Rossendorf dynamo experiment (*Dresdyn*)



magnetic Reynolds number – *not high enough!*

laboratory  
experiments are  
here



$$Re_m = UL\sigma\mu$$

## MHD flows at low $\text{Re}_m$

Diffusion-dominated  
solutions for magnetic field

Instantaneous adjustment of  
magnetic field to changes of  
velocity

Effect of flow on imposed  
magnetic field is weak

Quasi-static (inductionless)  
approximation

$$\mathbf{b} \ll \mathbf{B}_0, \quad \mathbf{B} = \mathbf{B}_0 + \mathbf{b} \approx \mathbf{B}_0$$

$$\mathbf{J} = \sigma(-\nabla\phi + \mathbf{u} \times \mathbf{B}_0)$$

$$\mathbf{F} = \mathbf{J} \times \mathbf{B}_0$$

$$\nabla^2\phi = \sigma\nabla \cdot (\mathbf{u} \times \mathbf{B}_0)$$

## effect of magnetic field on flow structure

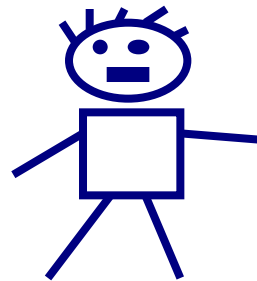
Joule dissipation of  
induced electric  
currents:

$$\frac{d}{dt} \int \frac{1}{2} \rho \mathbf{u}^2 dV = - \int \varepsilon dV - \int \mu dV$$
$$\mu = \frac{1}{\sigma} \int \mathbf{J}^2 dV$$

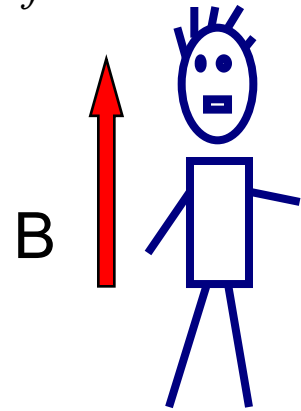
*Conventional turbulence disappears in a sufficiently strong magnetic field*

anisotropy of flow  
structures:

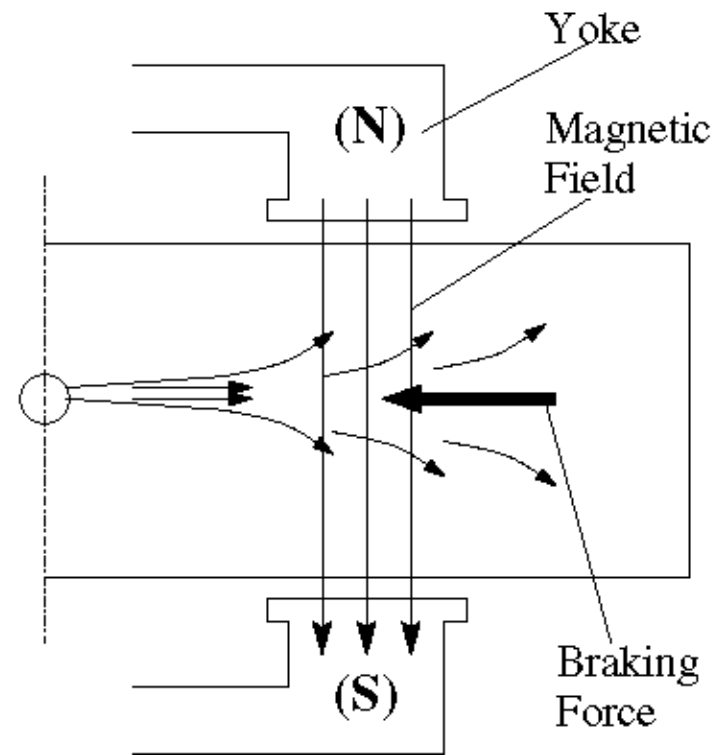
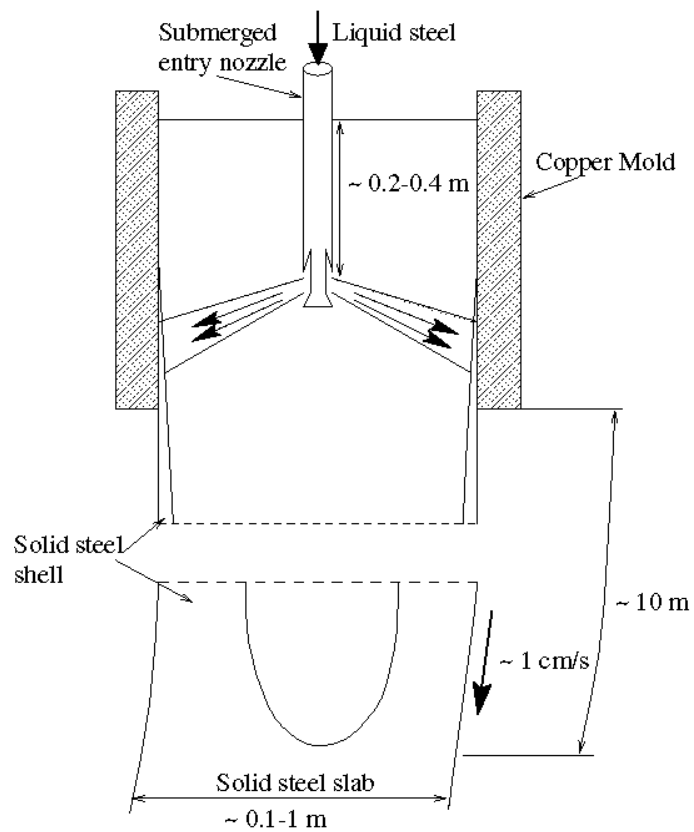
*Without  
magnetic field*



*With magnetic  
field*



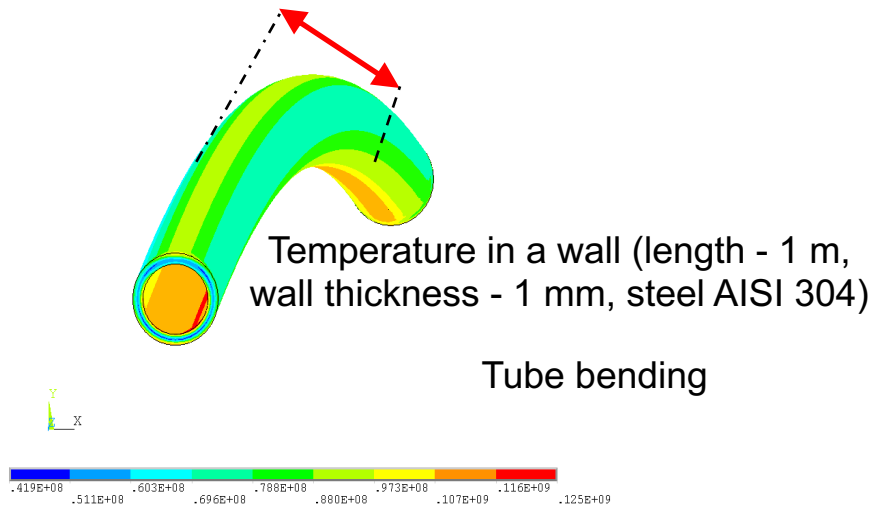
# continuous casting of steel



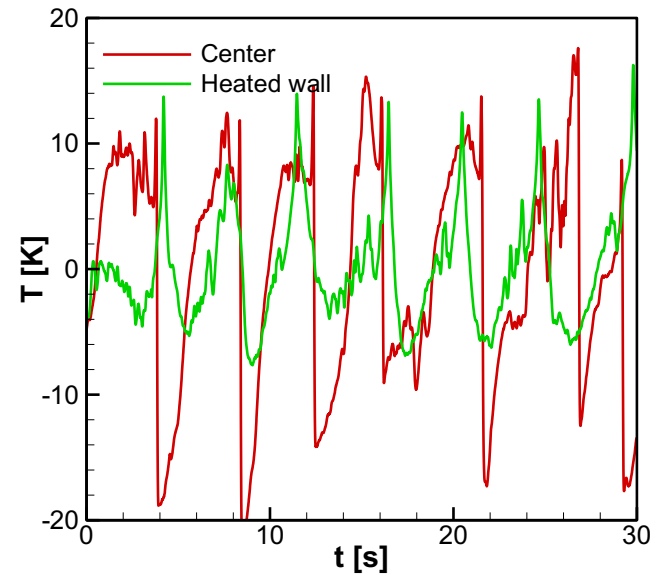
- Induction stirring and heating
- Magnetic valves
- Electromagnetic pumps
- Electromagnetic flow meters
- Microfluidic mixers
- ...

# combined effect of heating and magnetic field on a flow of liquid metal in a tube

*thermal stresses*



*High-amplitude low-frequency oscillations of temperature*



experiment,  
Melnikov et al (2014)